Two polygons P and Q are said to be scissors congruent provided that P can be cut into a finite number of pieces that can then be rearranged to form Q. If P and Q are scissors congruent, then one observes that P and Q have the same area. What about the converse? What about the obvious generalization of the converse to polyhedra in three dimensions?