## Mičhigan Math Club

## Thursday at 4 pm in the Nesbitt Room Free Pizza and Pop

## Hilbert's Tenth Problem

## Andrew Snowden

Abstract for 14 January 2016


In 1900, David Hilbert posed the following problem (number 10 on his famous list of 23 problems): devise an algorithm that decides if a polynomial equation
$\mathrm{f}\left(\mathrm{x} \_1, \ldots, \mathrm{x} \_\mathrm{n}\right)=0$ admits a solution in the integers.
Surprisingly, building on the efforts of several people, it was proven by Yuri Matiyasevich in 1970 that no such algorithm exists! I will present the main ideas of the proof.

