Michigan Math Club Friday at 12pm in the Nesbitt Room Free Pizza and Pop

Where is the cone?
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Abstract for 23 March 2018
It is well known that a plane section of a circular cone is an ellipse, a hyperbola, a parabola, or a pair of lines. But what about the converse? That is: given an ellipse or hyperbola, etc. in the $x y$-plane, how can we realize it as the section of a circular cone in $x y z$-space? There is a beautiful answer to this question that was well-known in the late 1800s and early 1900s but has been mostly forgotten today. I will present this answer in up-to-date language.

Math Club Challenge: in celebration of this talk, we will hide a cone somewhere in the $U(M)$ Math Department. Be the first to find it and win a free math t-shirt! Come to the talk for hints about where to look for the cone.

