

Dynamical systems theory provides tools for understanding complex behaviour in a broad range of applications. We will study continuous systems (differential equations) and discrete systems (iterated maps). The course aims to provide an overview of the subject as well as an in-depth analysis of specific examples. The topics include: bifurcations (saddle-node, transcritical, pitchfork, subcritical, supercritical, Hopf), stable and unstable manifolds, dissipative systems, attractors, logistic map, period-doubling, Feigenbaum sequence, renormalization, chaos, Lyapunov exponent, fractals, Cantor set, Hausdorff dimension, Lorenz system, nonlinear oscillations, quasiperiodicity, Hamiltonian systems, integrability, resonance, KAM tori, homoclinic intersections, Melnikov's method.

Instructor

Robert Krasny, 4830 East Hall, 763-3505, krasny@umich.edu

Class Time/Location

MW 11:30am-1pm, 4088 East Hall

Office Hours

MW 5-6:30pm, or email for an appointment, or just drop in when my door is open

Text

Nonlinear Systems, Philip G. Drazin, Cambridge University Press

PDFs of the chapters are freely available at the CUP website when accessed through a U-M computer. [click here](#)

Other References

Differential Dynamical Systems, James D. Meiss, SIAM

Chaos in Dynamical Systems, Edward Ott, Cambridge University Press

Nonlinear Differential Equations and Dynamical Systems, Ferdinand Verhulst, Springer

Nonlinear Oscillations, Dynamical Systems, and Bifurcations of Vector Fields,

John Guckenheimer and Philip Holmes, Springer

Prerequisites

advanced calculus, multivariable calculus, linear algebra, ordinary differential equations

Alternative

Math 404 covers similar topics at a more leisurely pace.

Grading

The course grade will be based on homework (50%), a midterm exam (20%), and a final exam (30%). The final exam is on Thursday, April 27, 1:30-3:30pm.