## SUMMARY OF MAJOR RESULTS

This is a chance to go back through the last several worksheets and track down what you've done. Throughout, let R be an integral domain. I would recommend first tracking does all the implications which do hold and only then talk about counterexamples to check that other implications don't.

(83) Draw arrows indicating which implications exist between the following concepts:

R is a PID	Every two elements of $R$ have a GCD
<i>R</i> is Noetherian	R is a UFD
4) Let $I$ be a nonzero ideal of $R$ . Draw arrows indicating which	h implications exist between the following concept
<i>I</i> is prime	<i>I</i> is maximal
I is of the form $(f)$ for	I is of the form $(f)$ for
f irreducible	f prime
5) Suppose that <i>R</i> is a UFD and let <i>I</i> be a nonzero ideal of between the following concepts:	R. Draw arrows indicating which implications e
<i>I</i> is prime	<i>I</i> is maximal

I is of the form (f) for f irreducible

I is of the form (f) for f prime

I is maximal

(86) Suppose that R is a PID and let I be a nonzero ideal of R. Draw arrows indicating which implications exist between the following concepts:

I is prime	

I is of the form	(f) for
f irreducible	

I is of the form (f) for f prime